

	<b>Course name:</b> MATH 315 General Topology		<b>Department:</b> Mathematics				Semester
							5
	Methods of Education						Credit (ECTS)
	Lecture	Recitation/ (Etud)	Lab	Exams	Homework/ Quiz	Other	Total
56	0	0	36	32	56	180	6
Language	English						
Compulsory/Elective	Compulsory						
Prerequisites	MATH 211 Advanced Calculus I						
Course Contents	Week	Subjects					
	1	<ul style="list-style-type: none"> <li>▪ Cartesian products, uncountable sets, axiom of choice.</li> <li>▪ Well-ordered sets, maximum principle.</li> </ul>					
	2	<ul style="list-style-type: none"> <li>▪ Topological spaces.</li> <li>▪ Basis for a topology.</li> </ul>					
	3	<ul style="list-style-type: none"> <li>▪ The product topology on <math>X \times Y</math>.</li> <li>▪ Subbasis.</li> </ul>					
	4	<ul style="list-style-type: none"> <li>▪ Subspace topology.</li> <li>▪ Closed sets, interior, boundary.</li> </ul>					
	5	<ul style="list-style-type: none"> <li>▪ Limit points.</li> <li>▪ Hausdorff Spaces.</li> </ul>					
	6	<ul style="list-style-type: none"> <li>▪ Continuous functions, homeomorphisms.</li> </ul>					
	7	<ul style="list-style-type: none"> <li>▪ Metric topology.</li> </ul>					
	8	<ul style="list-style-type: none"> <li>▪ Quotient topology.</li> </ul>					
	9	<ul style="list-style-type: none"> <li>▪ Connected spaces.</li> </ul>					
	10	<ul style="list-style-type: none"> <li>▪ Components and local connectedness.</li> </ul>					
	11	<ul style="list-style-type: none"> <li>▪ Compact spaces, local compactness</li> <li>▪ Sequential compactness, compactness in metric spaces.</li> </ul>					
	12	<ul style="list-style-type: none"> <li>▪ Countability axioms.</li> <li>▪ Separation axioms.</li> </ul>					
	13	<ul style="list-style-type: none"> <li>▪ Normal spaces.</li> <li>▪ Urysohn's Lemma.</li> </ul>					
	14	<ul style="list-style-type: none"> <li>▪ Tietze Extension Theorem.</li> </ul>					
Course Objectives	<p>The purpose of this course is</p> <ul style="list-style-type: none"> <li>• to give the fundamental knowledge on point set topology,</li> <li>• to give an introduction on topological spaces.</li> </ul>						
Learning Outcomes and Competences	<p>Upon completion of this course students will</p> <ul style="list-style-type: none"> <li>• learn basic concepts of point set topology,</li> <li>• understand notions of compactness and connectedness,</li> <li>• learn countability and separation axioms.</li> </ul>						
Textbook and /or References	<ol style="list-style-type: none"> <li>1) Munkres, J. R., <i>Topology</i>, 2<sup>nd</sup> edition Prentice Hall.</li> <li>2) Baum, J. D., <i>Elements of Point-Set Topology</i>, Dover Publications.</li> </ol>						
Assessment Criteria				If any, mark as (X)		Percentage (%)	
	Midterm Exams			X		40	
Quizzes							

	Homework		
	Projects		
	Term Paper		
	Laboratory work		
	Other		
	Final Exam	X	60
Instructors			